Toward identifying the critical mass in spatial twosided markets

Navidi, Z.; Nagel, K. & Winter, S. Environment and Planning B: Urban Analytics and City Science, SAGE Publications, 2019, 239980831984218 DOI:10.1177/2399808319842181



Outline



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Problem

Something like Uber: Is a platform: needs to recruit drivers to provide supply However, Uber, other than e.g. Youtube, operates in geographical space. Consequences of that.

Outline

- Conceptual model
- Simulations with stylized model
- Simulations on a realistic substrate



Conceptual



Conventional market (a)

Top left

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high demand, low supply \rightarrow prices high \rightarrow demand \searrow & supply \nearrow
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Top right

high demand, high supply \rightarrow prices somewhat high \rightarrow demand \searrow & supply \searrow

Etc.

demand & supply meet around (0.5,0.5), @ medium price





Market with network effects & economies of scale (b)

(network effects: more customers = more attractive for customers; economies of scale: more supply = lower average costs. E.g. <u>telephone system</u>.)

Top left

demand high, supply low \rightarrow prices high \rightarrow demand \searrow , supply \nearrow (same as before).

Top right

demand high, supply high \rightarrow prices low \rightarrow demand \nearrow , supply \nearrow (total opposite).

Overall

Dynamics has <u>two</u> attractive fixed points: (0,0) & (1,1).

Supply owner needs to predict demand.



(b)

Platform markets (c)

Same as (b) except: *Platform owner does not own supply!* E.g. UBER ≠ uber DRIVERS

 \rightarrow Platform owner needs to predict max possible demand and supply (e.g. dotted rectangle).

Potentially viable only if rectangle reaches into UR.

Only potentially viable system can become *super-critical*.

Even a potentially viable system can remain *sub-critical*.



(C)

From homogeneous to spatial markets

(Approximately) non-spatial markets

E.g. <u>youtube</u>:

Viewers (=demand)/uploaders (=supply) sitting everywhere.

 \rightarrow One global diagram (c) to describe system.

Spatial markets

E.g. <u>UBER</u>:

- Users at locations → density
- Drivers at locations \rightarrow density
- \rightarrow Many local diagrams (c) to describe system.



Some predictions

Determine max demand and max supply in each region (dotted rectangle).

- Completely in LL \rightarrow platform not viable in area.
- Reaches into UR (upper right) \rightarrow platform potentially viable.
- Farther in UR → more viable → higher proba that it will become super-critical.
- Super-critical areas can affect their neighbors (if potentially viable at all).





Stylized simulations



Stylized world

Stylized world

- Square world of size 1x1, 3x3, 5x5 (km x km)
- Potential users <u>Uniformly | Normally arranged.</u>

Simulation. Per time step:

- Vehicles "rain" into system (U or N).
- Users "interested" if > 5 vehs within 0.1km
- Go through interested users and match with closest vehicle; remove vehicle from pool.
- Remove vehicles where pickup distance was > 500m.
- The "vehicles rain" is reduced over time.
- Some addt'l technical details which are, I hope, irrelevant.





Expectations

- Taxis either become super-critical, or die out.
- More "vehicle rain" → higher proba to become supercritical.
- More population \rightarrow higher proba ...
- The smaller the system, the fuzzier the boundary. ("Finite size effect" in "theory of phase transitions".)





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Normally distributed "vehicles rain" (*N cases) higher proba than uniformly distributed (*U cases).

Population distribution much less important.

→ Initially rather concentrate your vehicles into smaller areas!

Now all NU cases (population/vehicles distribution) 1 NN

Simulations with real world substrate



Yarra Ranges area



Same simulation. Only difference (I hope): "vehicles rain" uniform per "suburb".



Over time ...

- Some areas become and remain super-critical.
- Infect all reachable neighbors.
- Run again \rightarrow get different outcome





Conclusion



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- Take platform market model from non-spatial to spatial.
- Have criticality dynamics separately in each "cell".
- Cells where demand/supply reach into UR can become super-critical.
- Super-critical cells infect neighbors.
- \rightarrow Start such platforms in urban cores; concentrate initial subsidies there & remove once super-critical.
- \rightarrow Will spread by itself to all "reachable" areas.
- \rightarrow Move subsidies to smaller and smaller cities; keep there until super-critical.

"Driverless vehicles owned by Uber" very different system from current platform system.

